

Geoelectrical monitoring of calcite dissolution on microfluidic chips

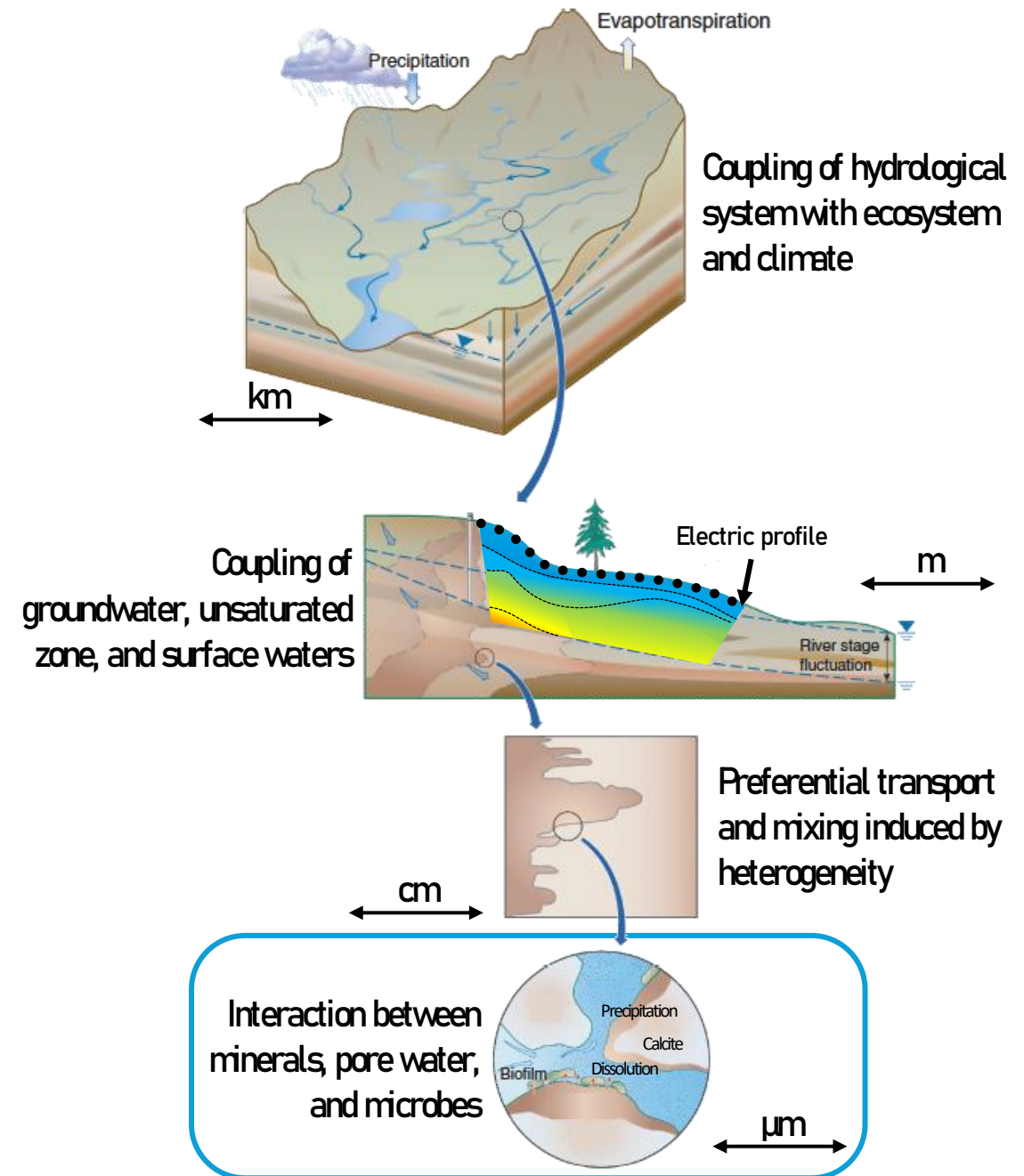
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CFMR – technical workshop

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Using geophysical methods to characterize dynamic processes

1. Calcite dissolution is an important and ubiquitous process involved in many reservoir applications: CO₂ storage, karst hydrology, and hydrothermal fluids.
2. Calcite dissolution relies on **microscopic couplings** and has an impact on multiple scales
3. Geophysical methods in the field enable “seeing” into the subsurface environment.
 - Geoelectrical methods are interesting for monitoring fluid dynamics and biogeochemical reactions.
 - Petrophysical relationships enable a quantitative use of geophysical methods and signal prediction.

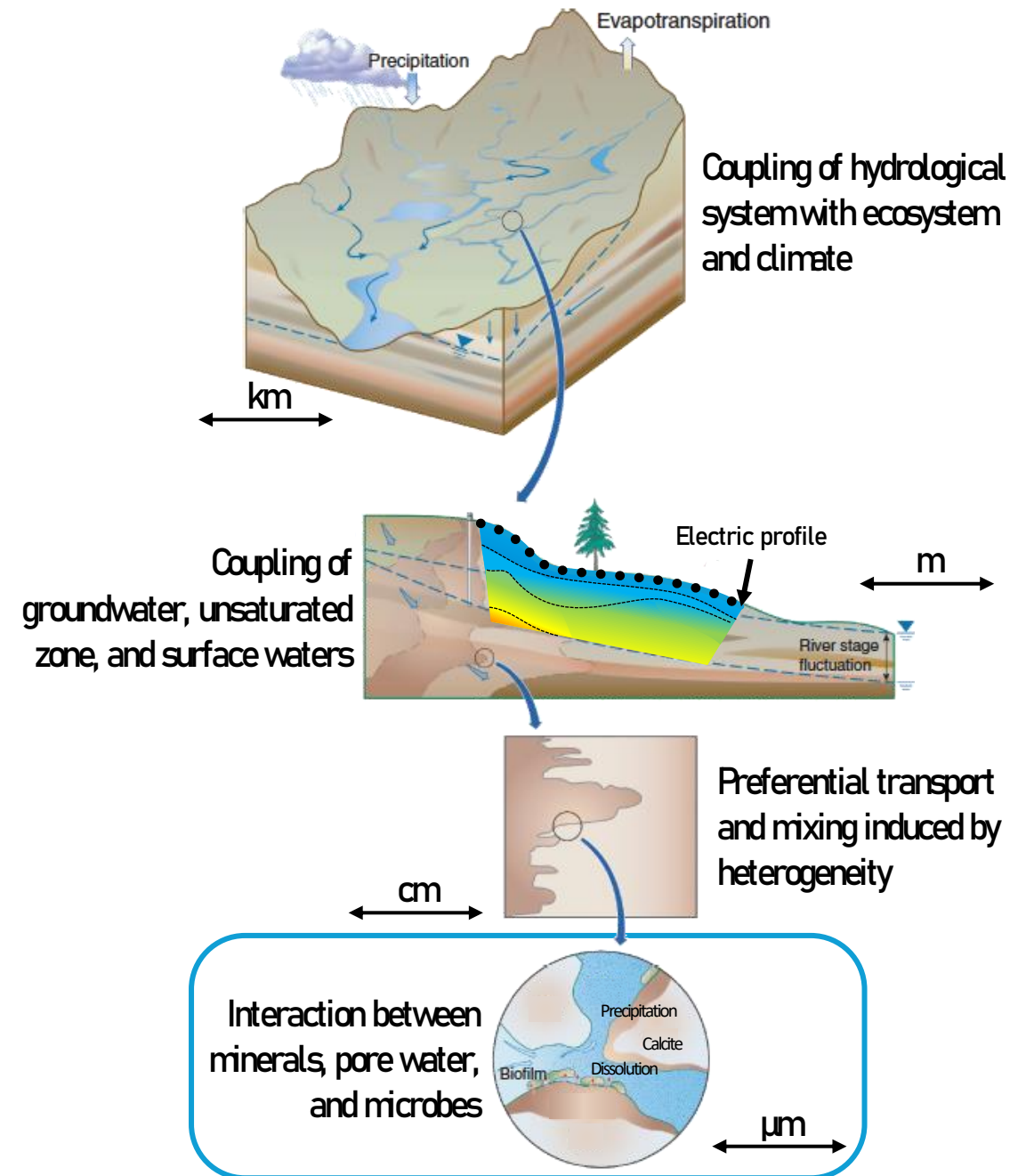


Using geophysical methods to characterize dynamic processes



Spectral induced polarization (SIP) response interpretation is a major challenge in the presence of superimposed signal sources and dynamic processes.

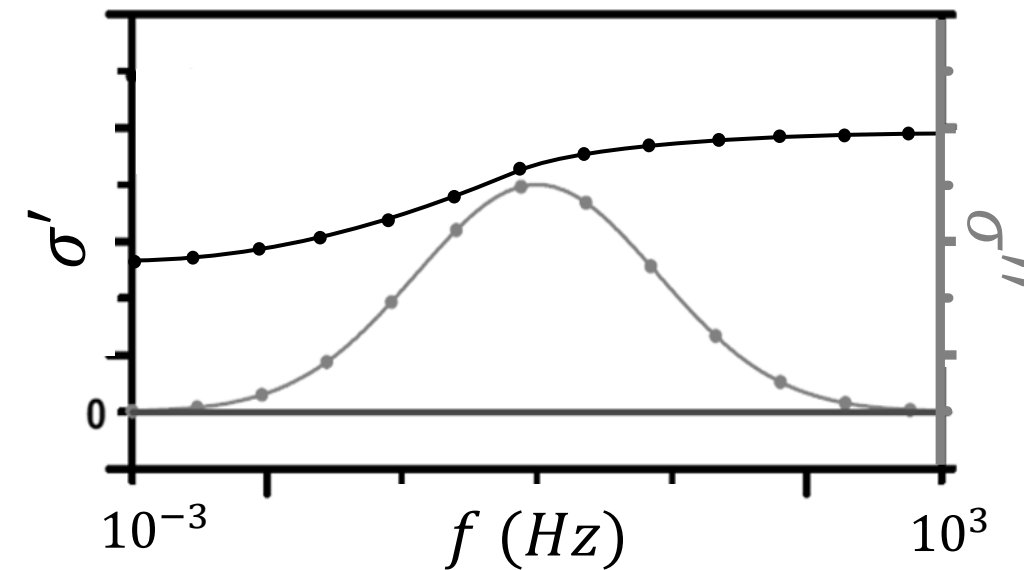
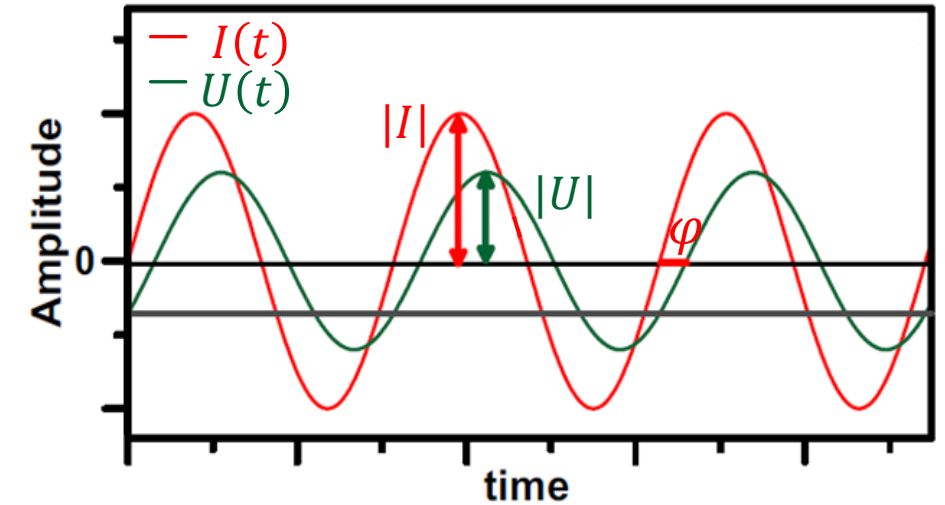
We aim at improving our petrophysical understanding of the SIP response through microscopic investigation.



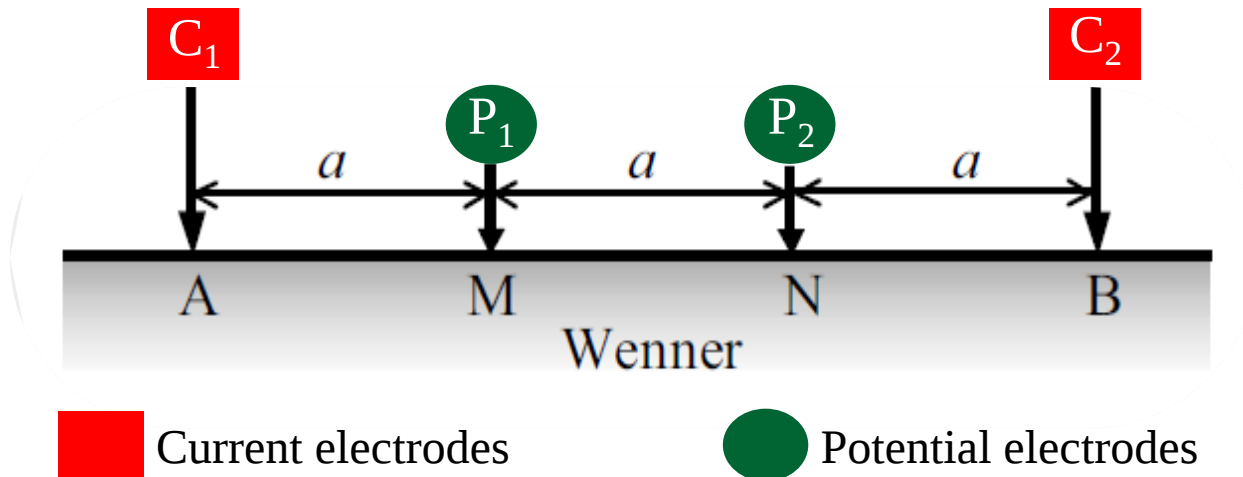
The spectral induced polarization (SIP) method

$$\sigma^*(\omega) = \frac{I^*(\omega)}{k_G U^*(\omega)} = |\sigma^*(\omega)| e^{-i\varphi(\omega)} = \sigma'(\omega) + i\sigma''(\omega)$$

Conduction Polarization



(Ghorbani, 2007)



(Binley and Kemna, 2005)

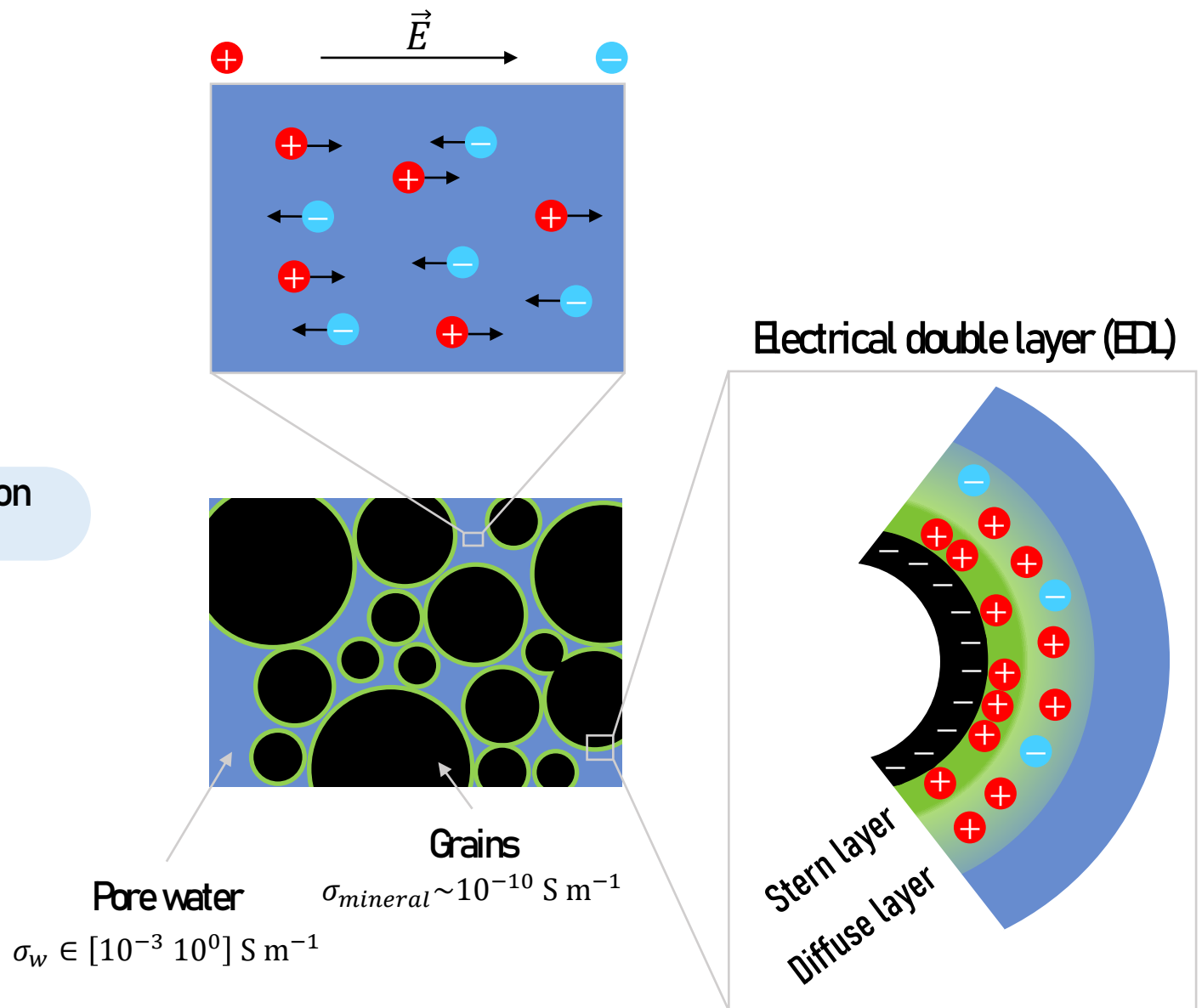
Electric conduction in porous media

The **electric current** flows through the pores filled with water and dissolved ions

$$\sigma_{bulk} = \frac{\sigma_w}{F} \leftarrow \text{The formation factor}$$

The surface of the grains is **electrically charged** and also contributes to the electric conduction of the porous medium

$$\sigma = \sigma_{bulk} + \sigma_s$$

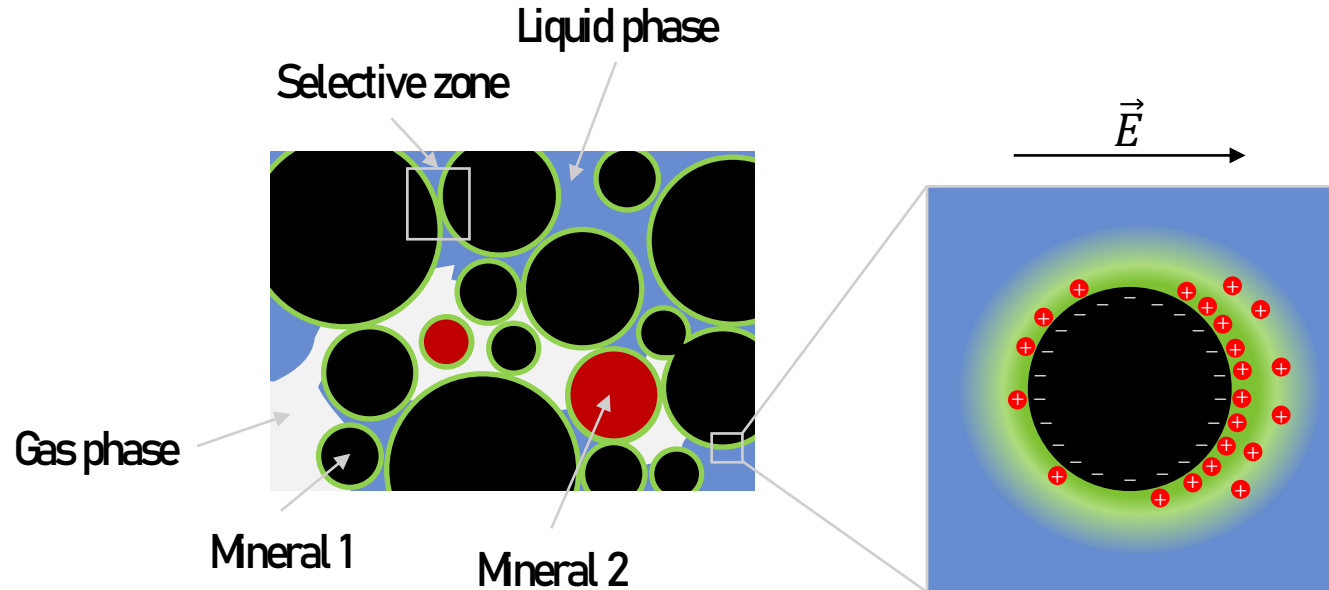


The complex electrical conductivity and surface polarization mechanisms

When a sinusoidal current is injected, ions in the confined pore space exhibit limited motion, creating charge accumulation, also called polarization.

Polarization mechanisms:

- The electrical double layer (EDL)
 - Transitory reorganization of the charges at the mineral surface ($10^{-2} - 10^2 \text{ Hz}$)
- Membrane polarization
 - Ionic exclusion in pore throats ($10^{-3} - 10^{-2} \text{ Hz}$)
- Maxwell-Wagner polarization
 - Interfaces create discontinuities ($> 10^3 \text{ Hz}$)



Interpretation of σ'' spectrum

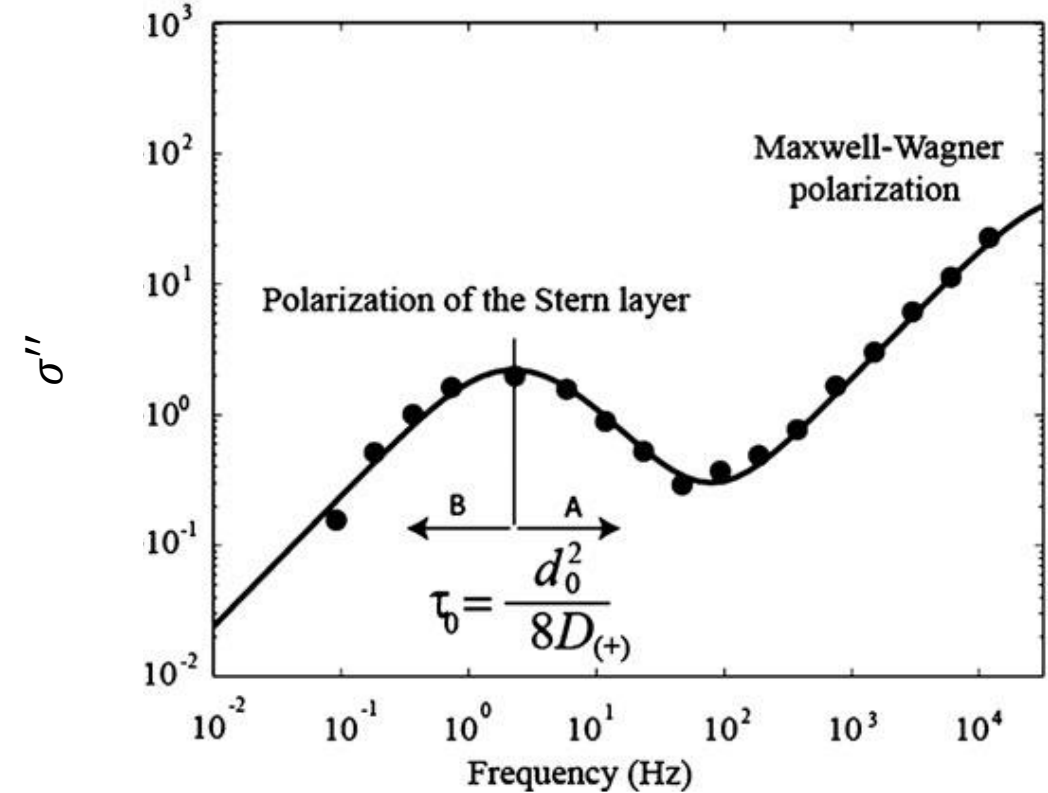
The frequencies of phase local maxima correspond to specific relaxation times that can be related to characteristic polarization length scales:

- Grain size distribution
- Pore size distribution
- Surface roughness



The superposition of polarization lengths complexifies the interpretation.

→ Need for direct visualization at the microscale



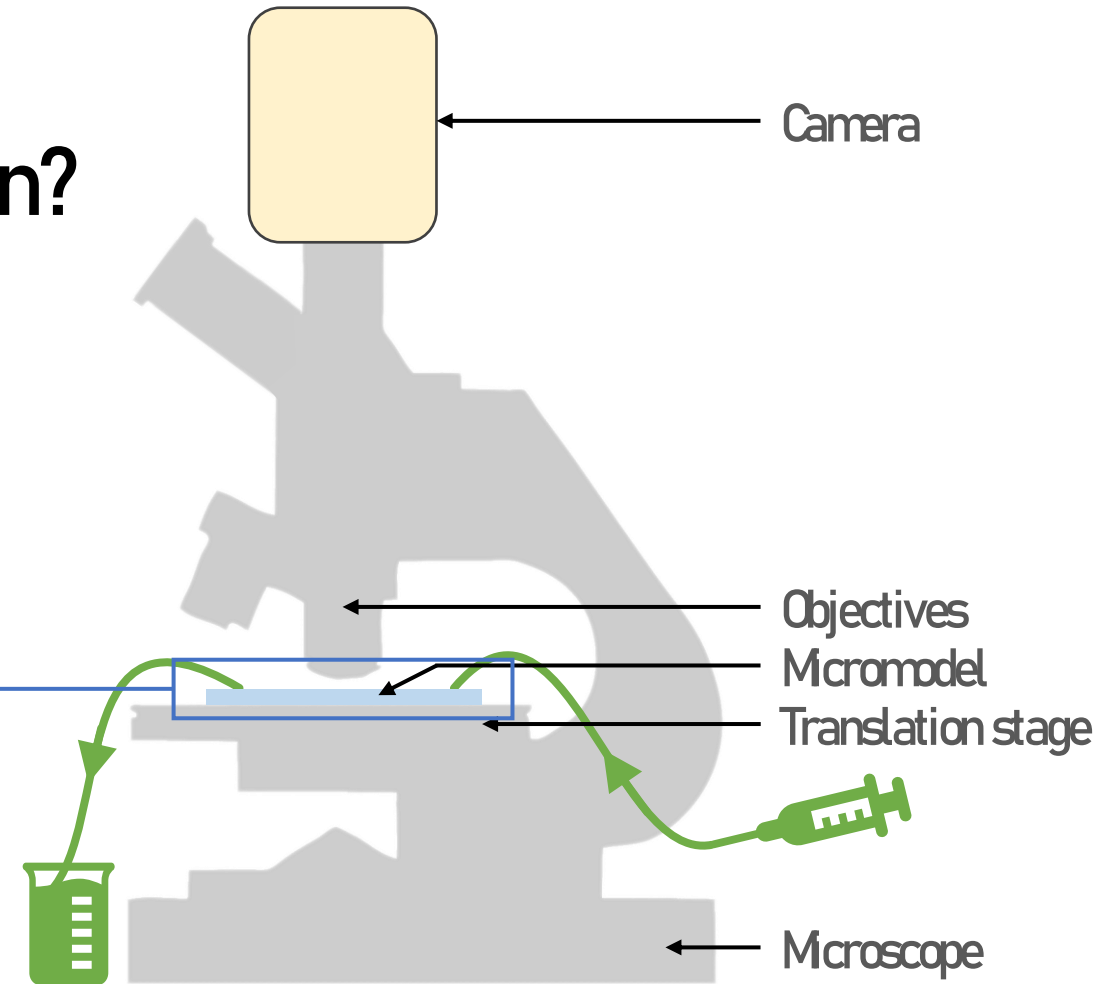
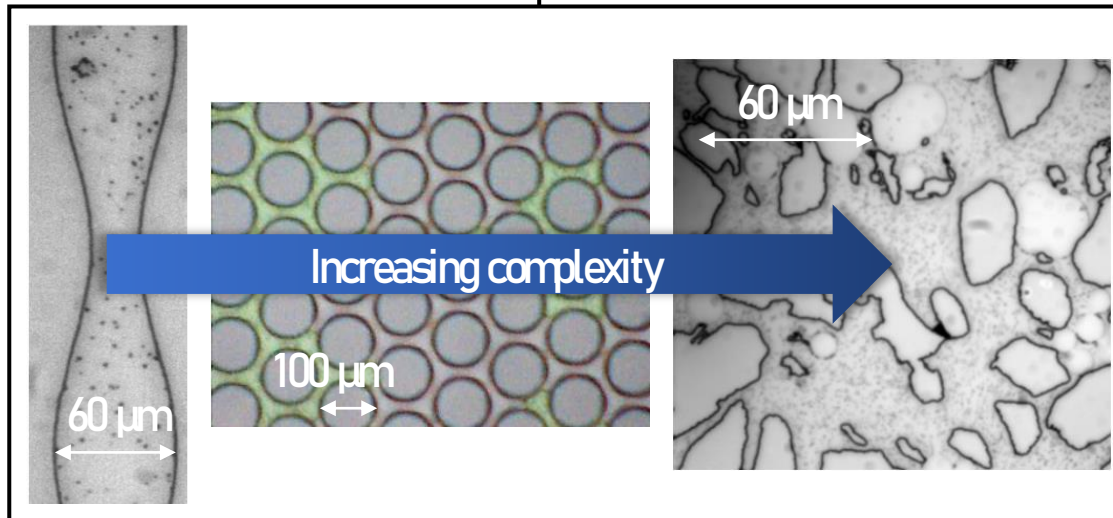
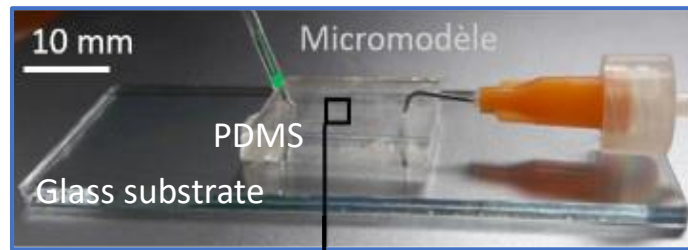
τ_0 Characteristic time

d_0 Characteristic length

$D_{(+)}$ Diffusion coefficient of the cations in the Stern layer

A way to conduct SLP at the microscale with direct visualization?

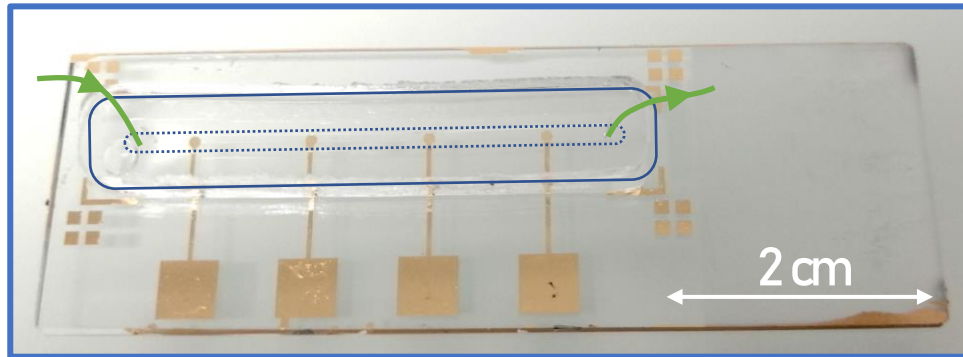
→ Microfluidic experiments



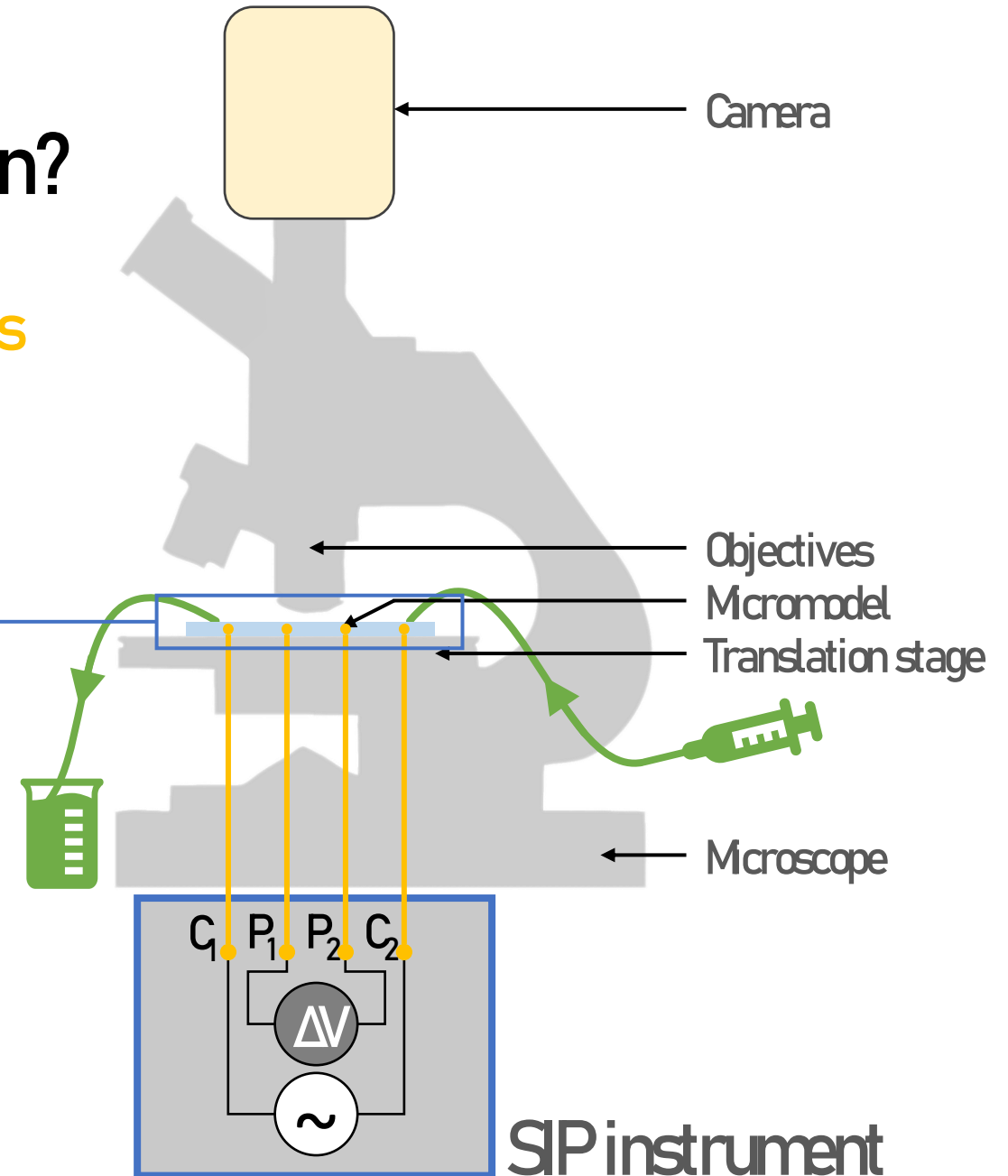
The transparency of the micromodel materials allows for direct observation with high-resolution imaging

A way to conduct SIP at the microscale with direct visualization?

→ Microfluidic experiments equipped with electrodes



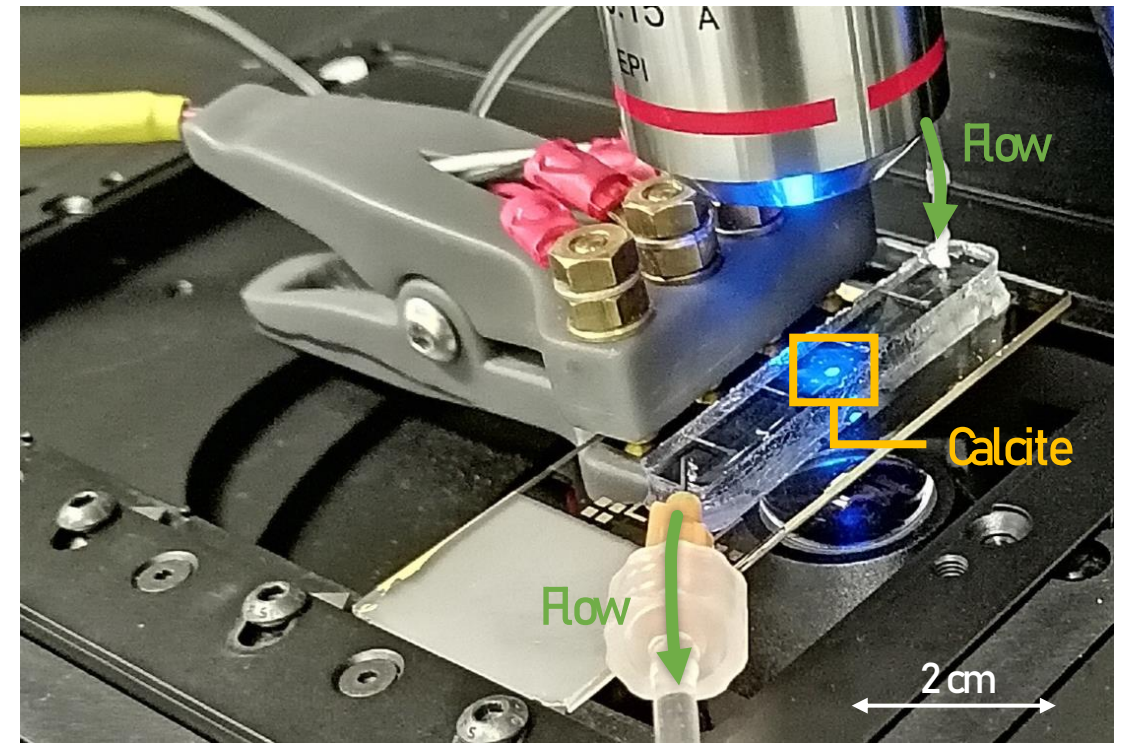
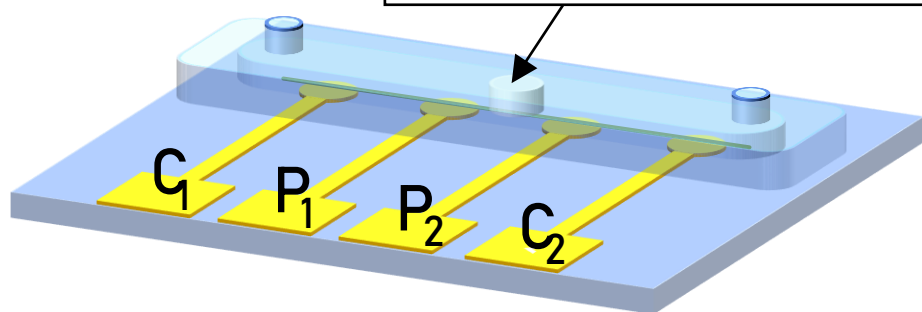
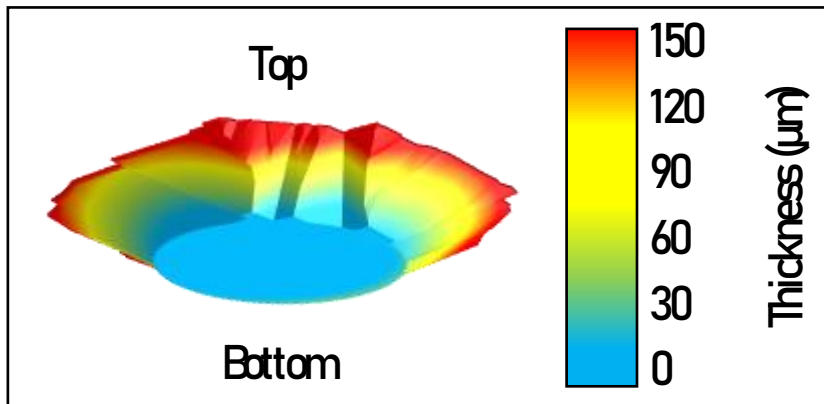
- PDMS channel ($L \times l \times h = 4000 \times 1500 \times 150 \mu\text{m}$)
- Glass substrate
- 4 gold electrodes per channel
400 nm thickness
The head ($900 \mu\text{m}$) is in contact with the electrolyte
Square electric contacts next to the PDMS cap



Experimental protocol for the experiment of calcite dissolution

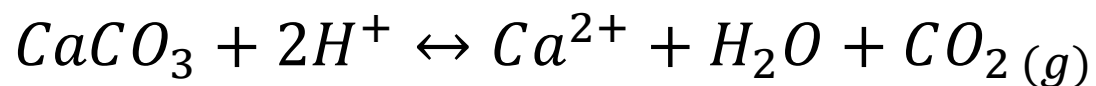
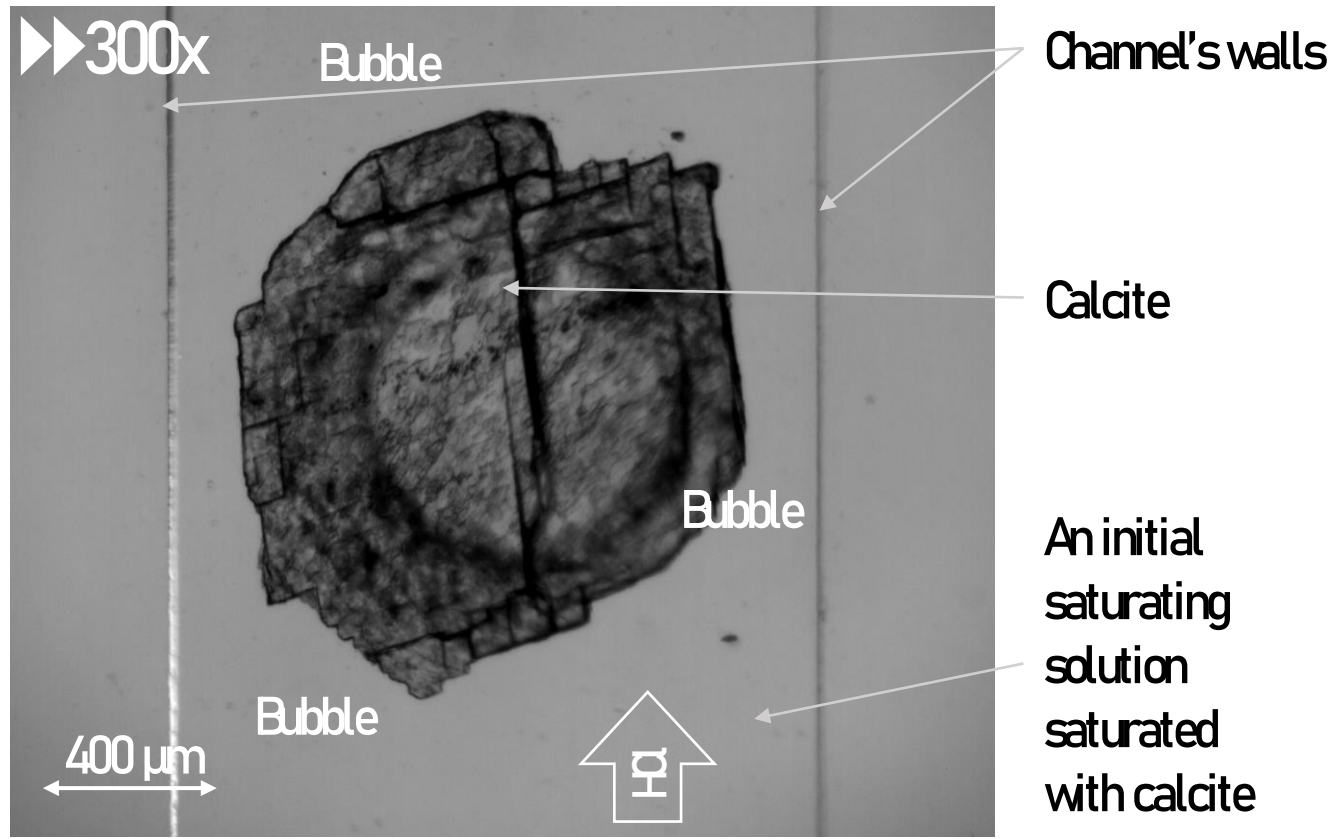


Calcite sample



- Sample: carved calcite thin section of 150 μm thickness
- Initial solution S_0 :
Deionized water saturated with calcite
- Acid solution: HCl at 0,05 %_{w/w} concentration
- Constant flowrate: 21 μL min⁻¹

Monitoring the dissolution of calcite with high-resolution microscopy

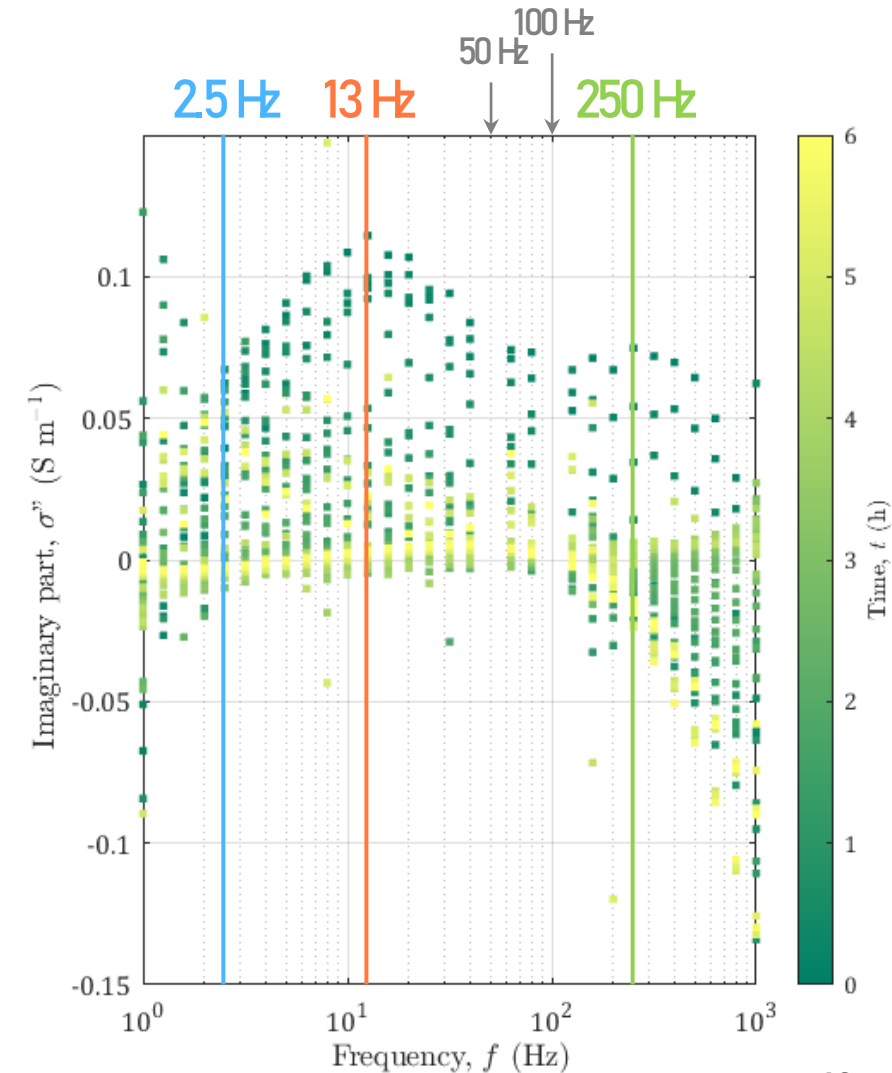
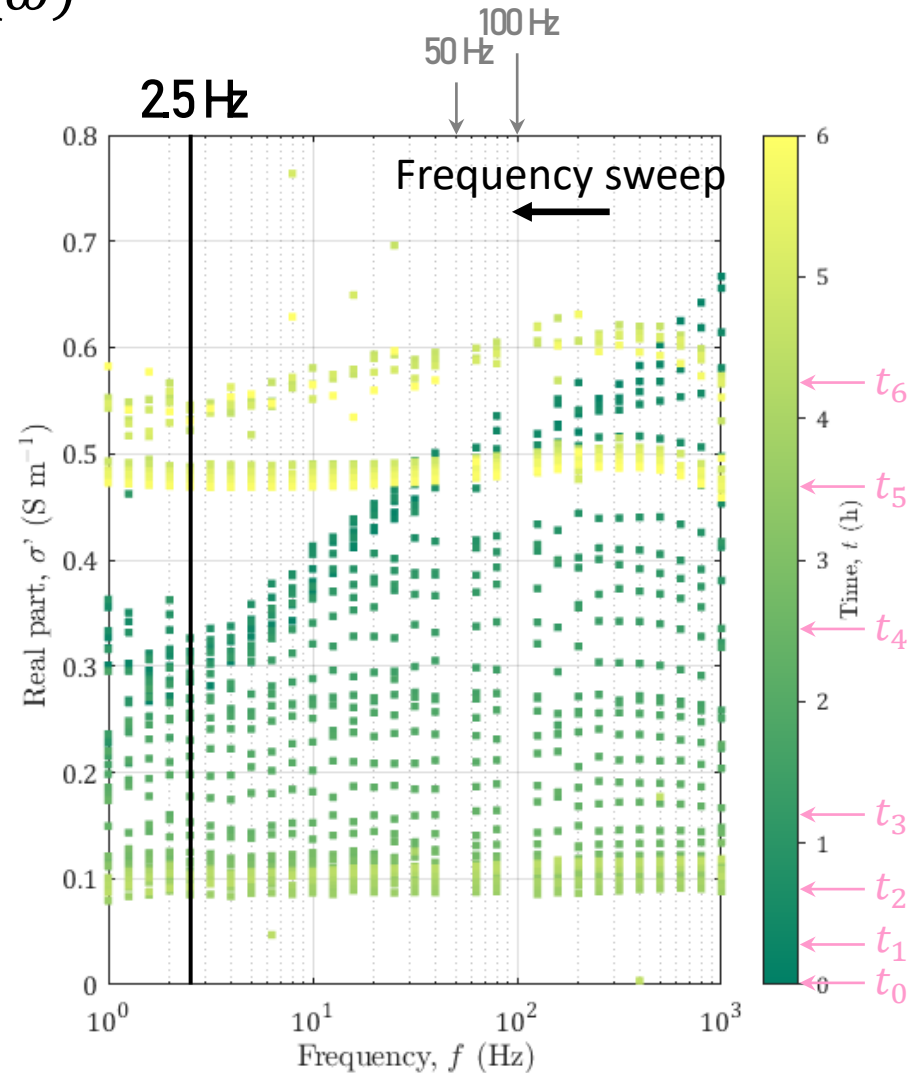


- Image sequence captured every 30 s
 - Video speed of 10 frames per second
1. Dissolution in saturated conditions
 2. Surface roughness vanishes
 3. Nucleation of small bubbles
 4. Growth of the bubbles
 5. Merging of the bubbles with their neighbors
 6. Small bubbles feed large bubbles
 7. Uniform spacing between the bubbles
 8. Big bubbles are size changing
 9. Calcite sample has drastically reduced in size
 10. Brutal detachment of the bubbles
 11. End of dissolution

Monitoring the dissolution of calcite with SIP

$$\sigma^*(\omega) = \sigma'(\omega) + i\sigma''(\omega)$$

- Spectra are recorded every 7 min.
- 50 Hz and 100 Hz data are removed due to power grid coupling.
- Time variations seem related to calcite dissolution and bubbles' growth.
- Polarization is distributed around peaks at 13 Hz and 250 Hz.



IP spectra and abrupt changes

0. No dissolution $\diamond$

1. Acid arrival ● ●

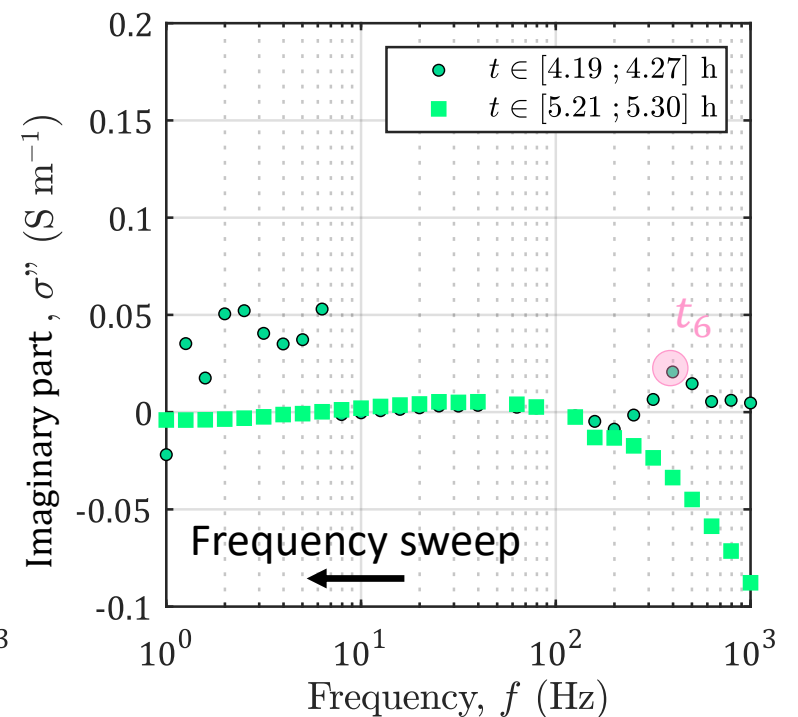
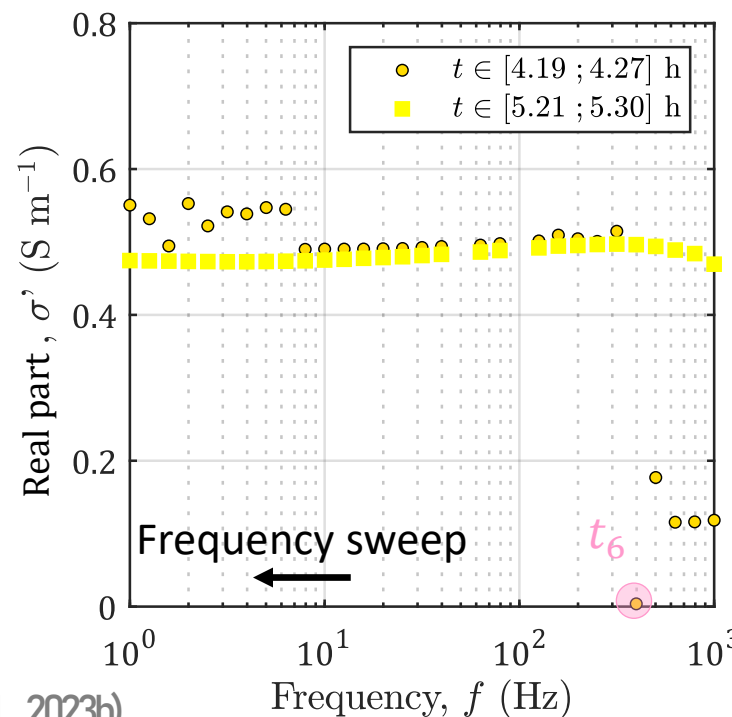
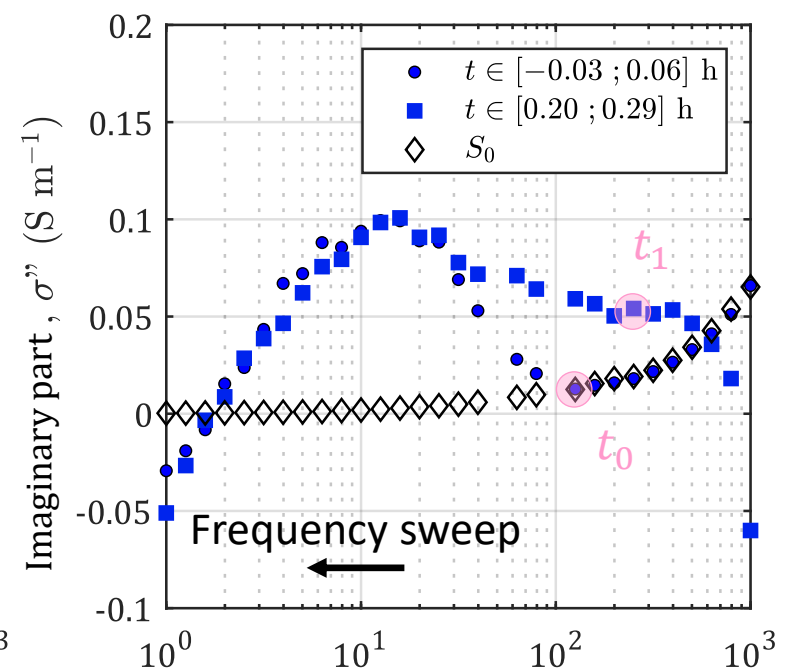
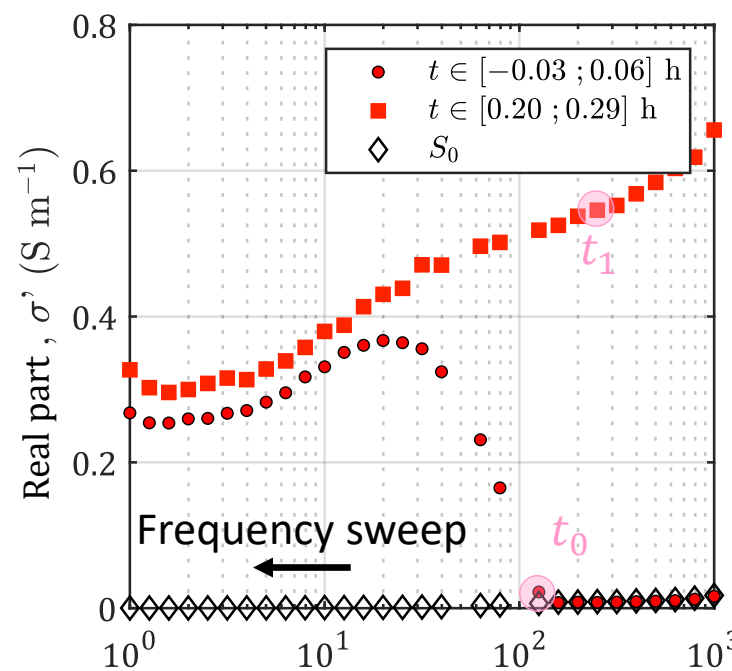
t_0 Acid arrival

t_1 Dissolution in saturated conditions

2. Dissolution ■ ■

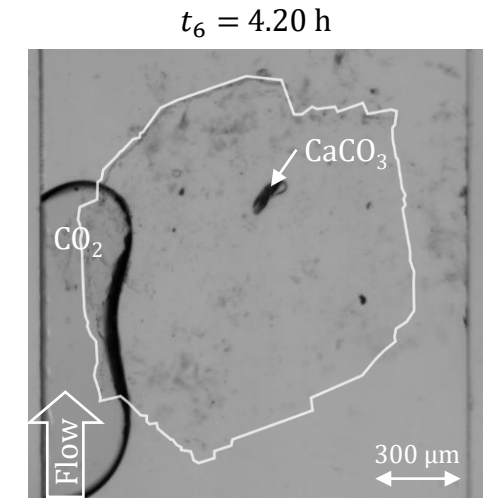
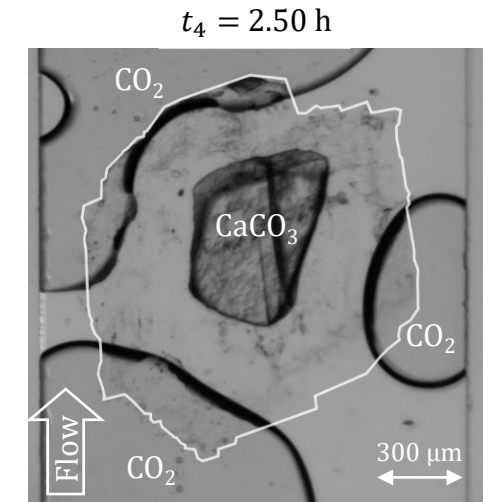
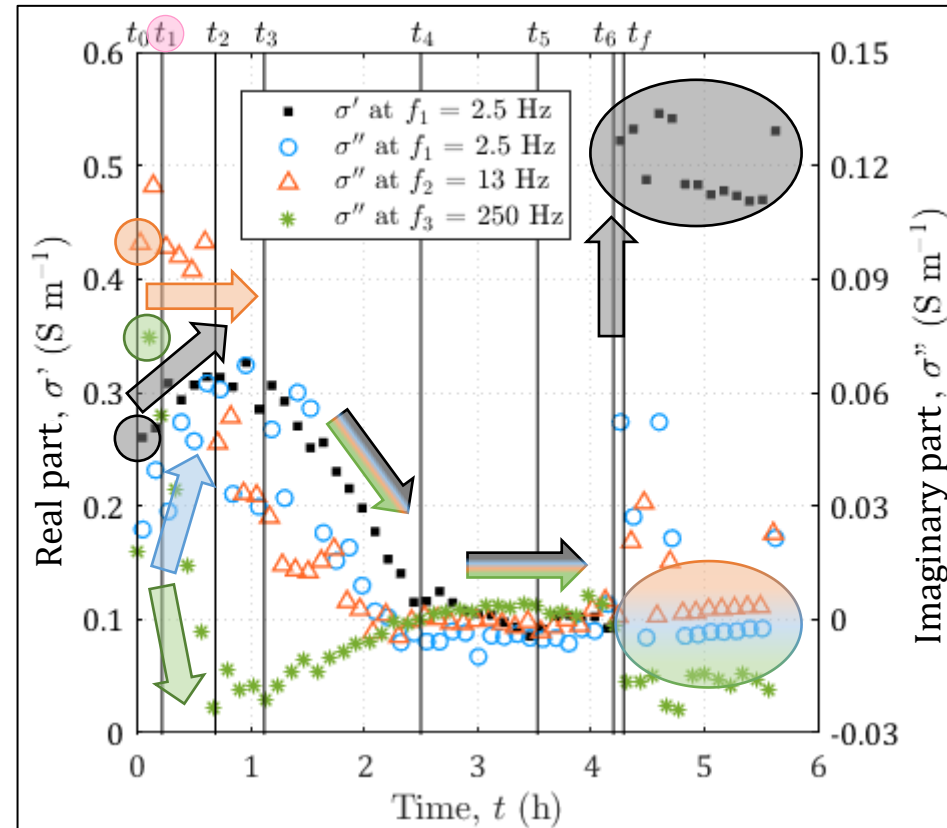
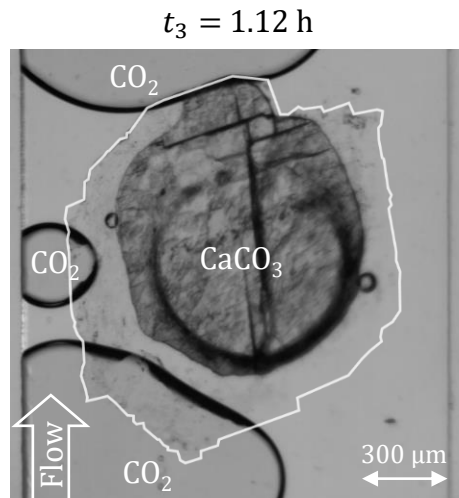
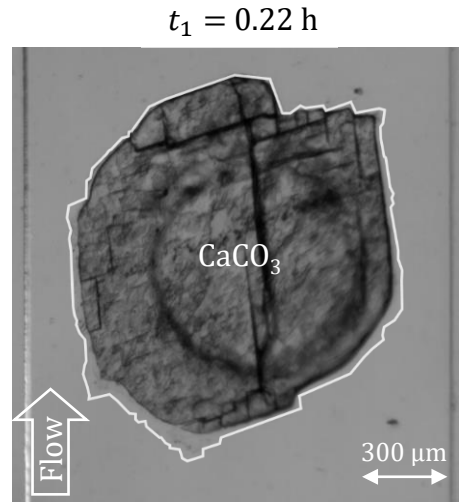
3. Bubbles detachment ● ●

t_6 Bubbles detachment



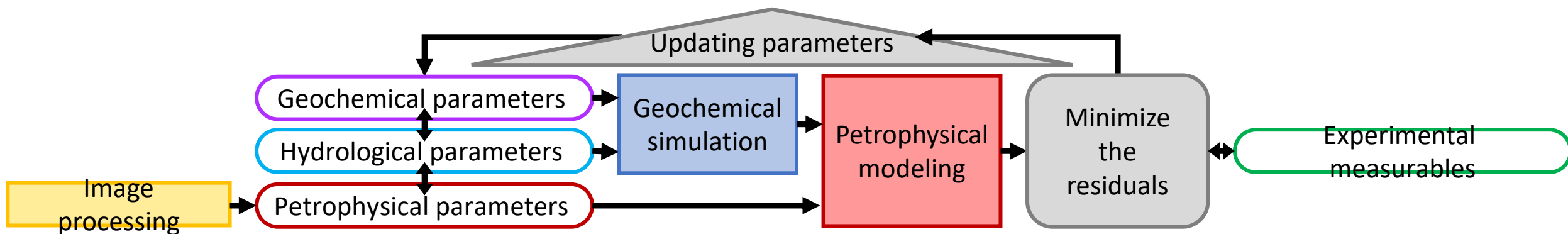
(Rembert et al., 2023b)

Qualitative interpretation from direct visualization



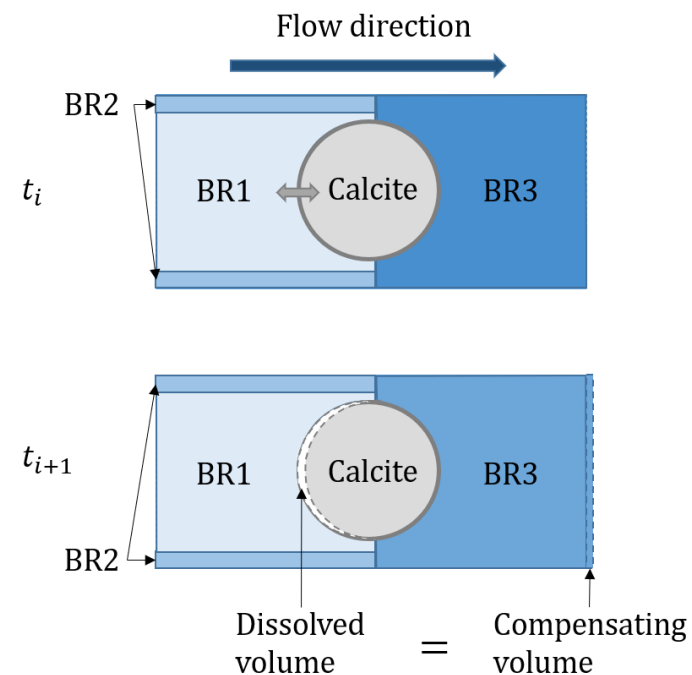
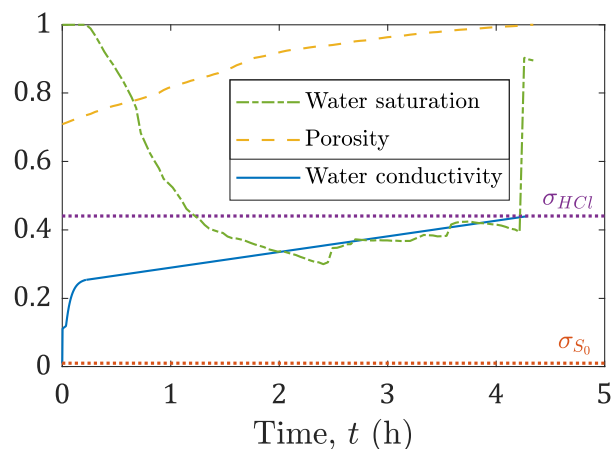
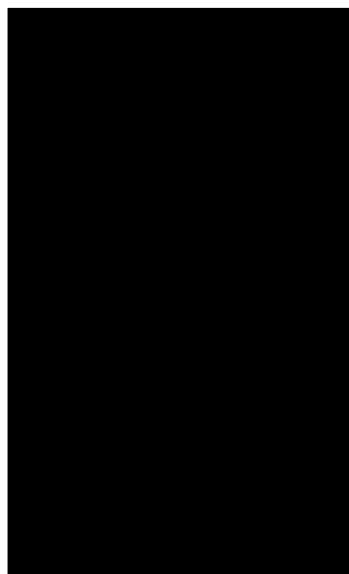
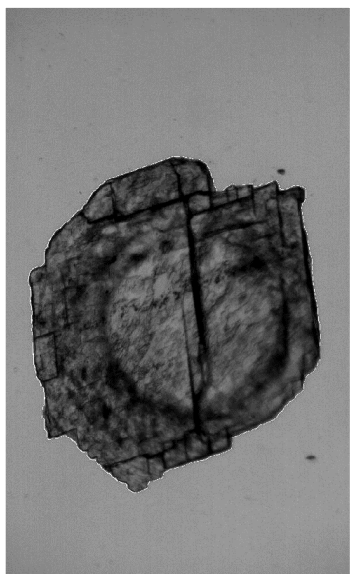
Increase of σ'
Initial polarization that shifts toward lower frequencies

Modeling workflow for quantitative simulation

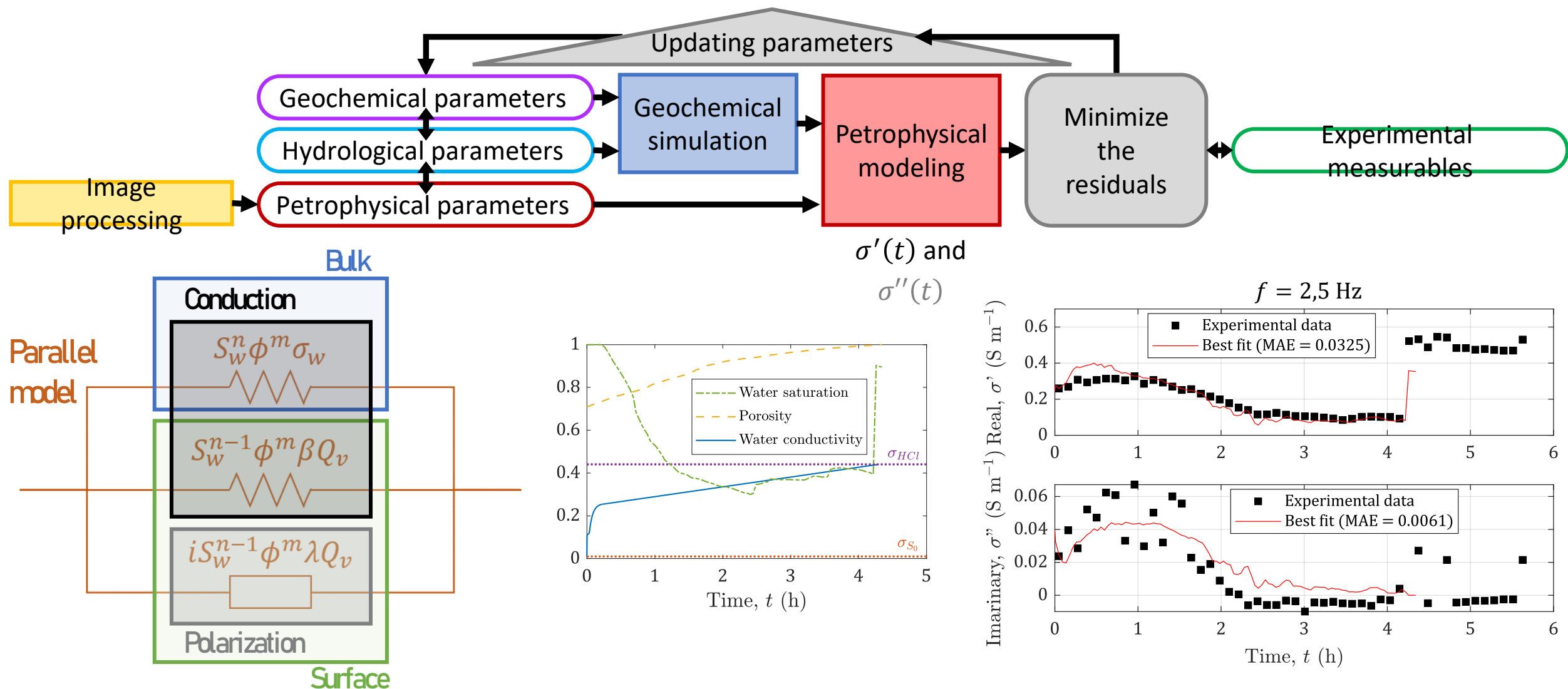


Calcite size
⇒ Porosity

Bubbles area
⇒ Water saturation



Modeling workflow for quantitative simulation



We quantify the microscopic couplings in terms of parameters of interest obtained from this mechanistic approach

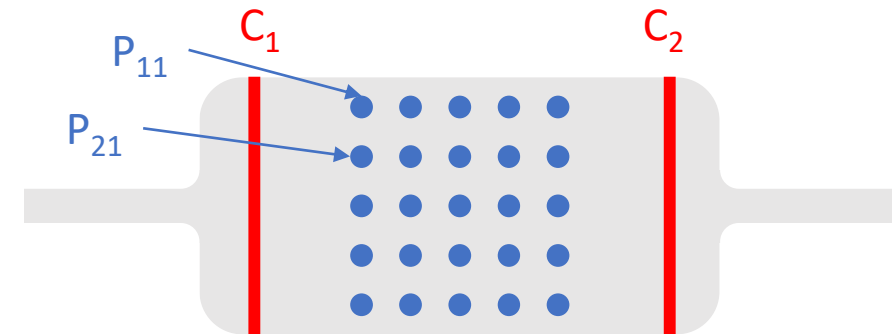
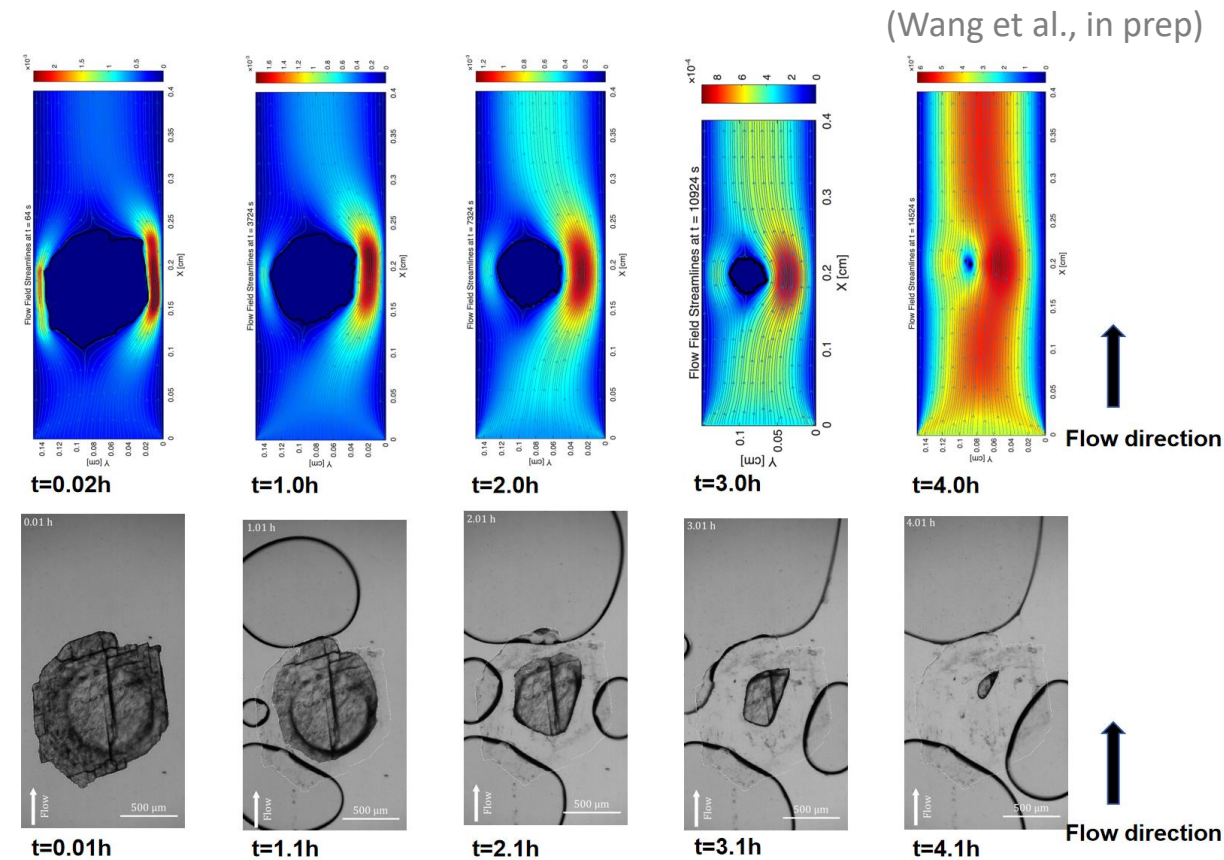
Conclusions and perspectives

Conclusions

- Pioneer study that miniaturizes SIP on microfluidic chips,
- Direct visualization helps the SIP interpretation,
- Strong polarization is measured during calcite dissolution,
- The developed workflow enables quantifying petrophysical and geophysical parameters.

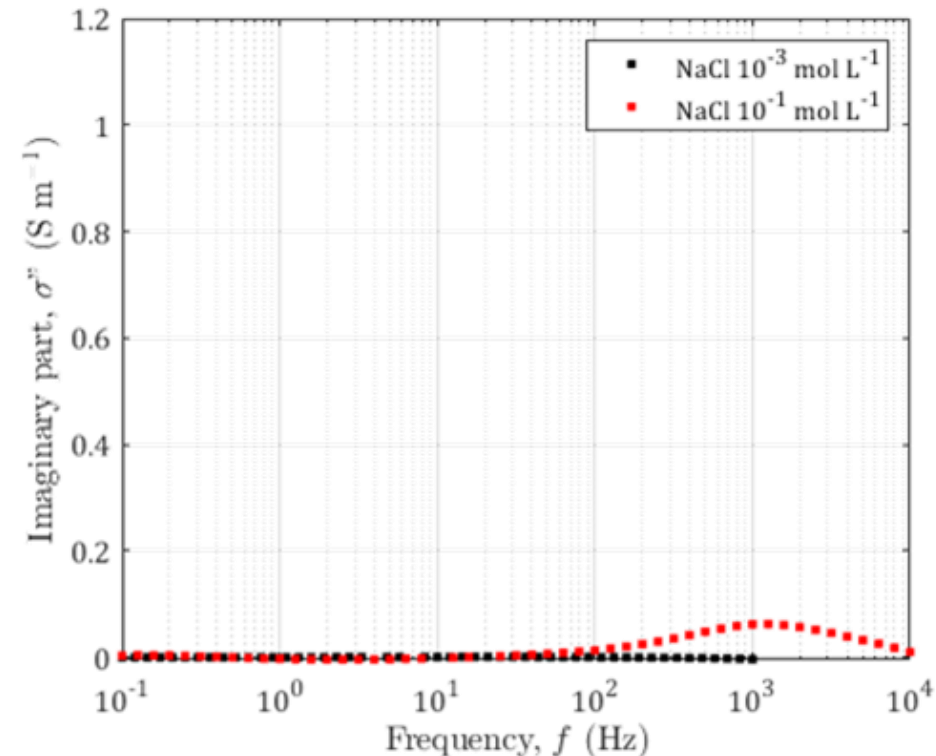
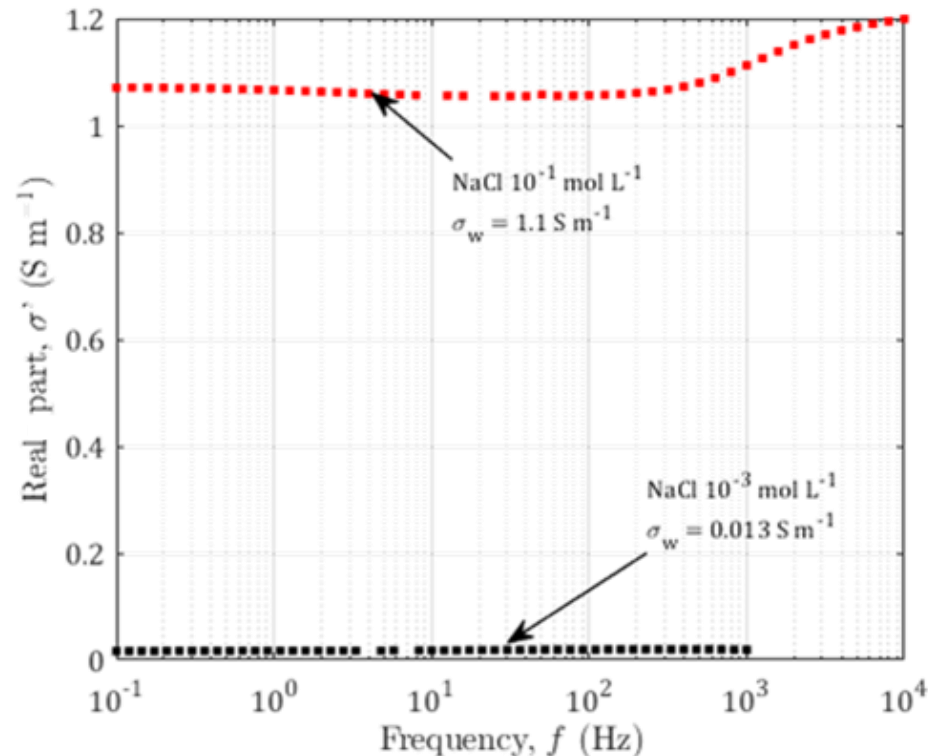
Perspectives

- ➔ Enhance the model toward a fully mechanistic approach based on CFD,
- ➔ Complexify the geometry towards a matrix of electrodes for 2D acquisition to mimic the geological porous matrix,
- ➔ Explore SIP for other coupled processes, including diphasic flow, colloidal transport, and biological activity.



Testing the feasibility of the measurement at this scale

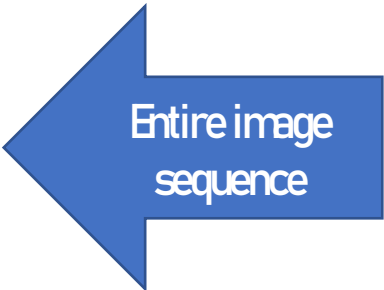
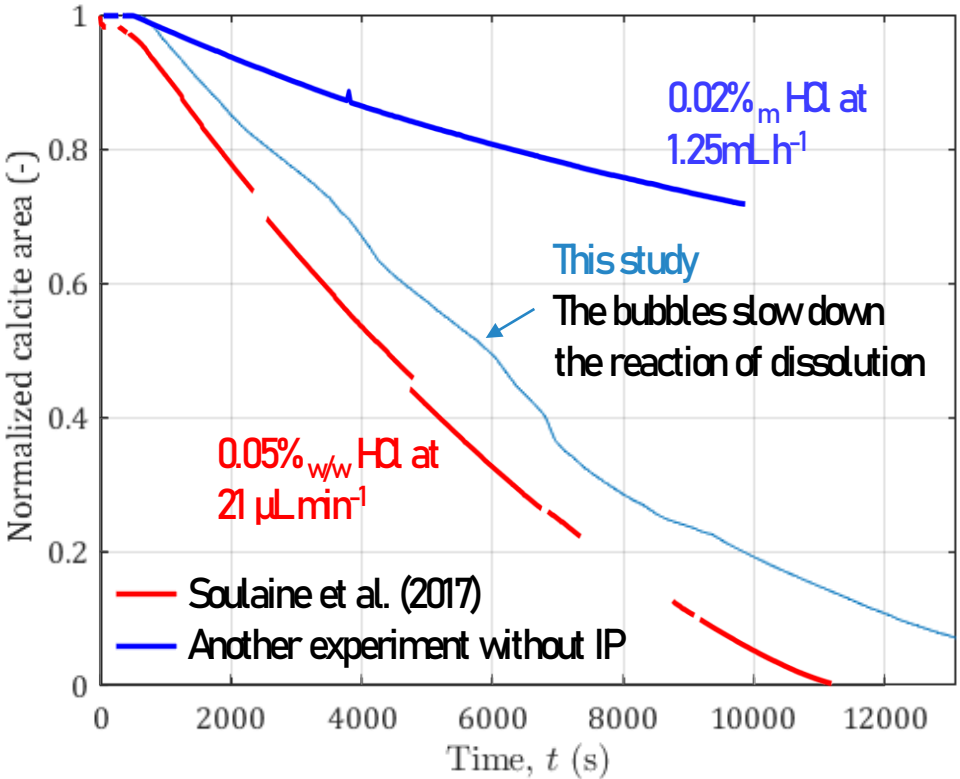
Saturating the micromodel with brine at two different concentrations



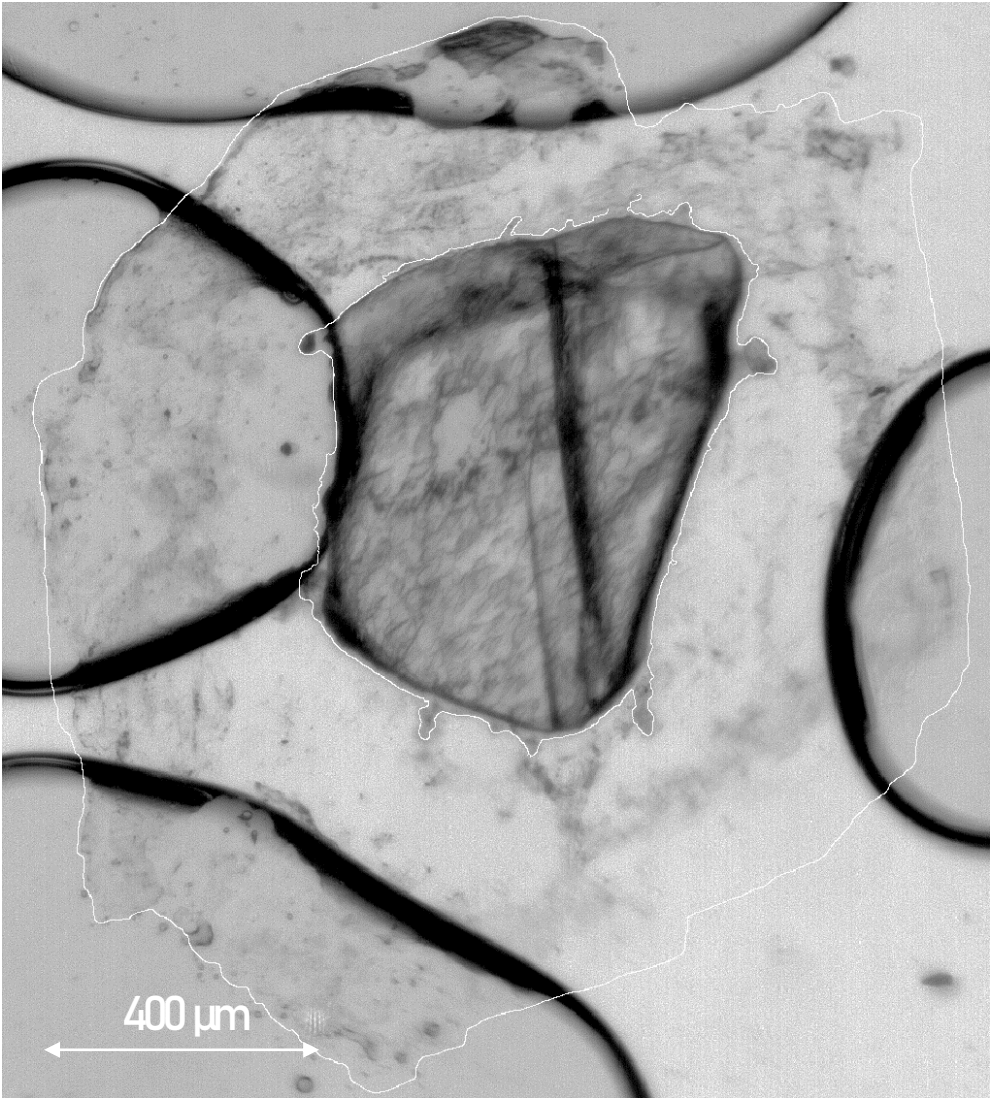
- We obtain consistent amplitudes on the in-phase conductivity
- There are low non-zero quadrature conductivities towards high frequencies for high salinity.



Monitoring the dissolution rate



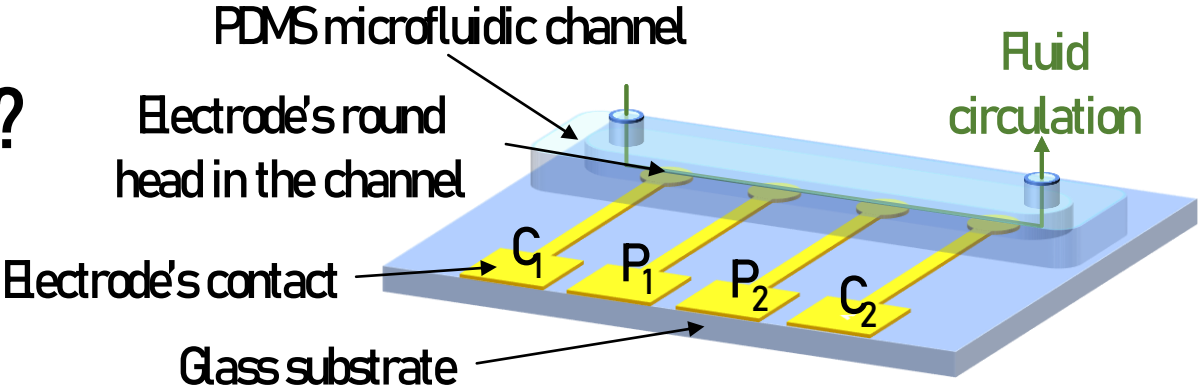
Contour detection with image processing



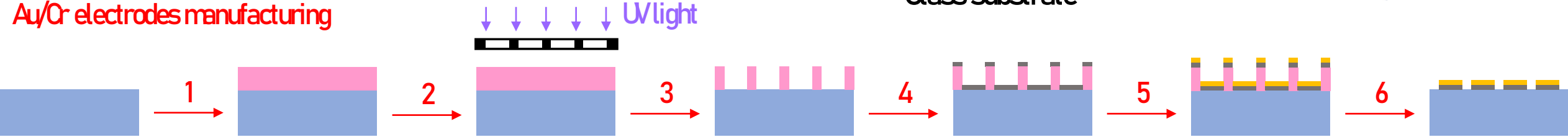


A way to conduct SIP at the microscale with direct visualization?

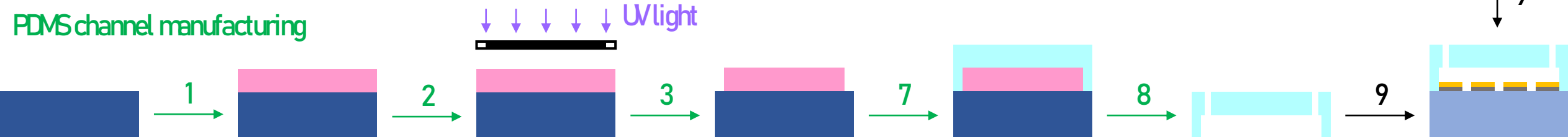
→ Microfluidic experiments equipped with electrodes



Au/Or electrodes manufacturing



PDMS channel manufacturing



 Resin	 Au	 PDMS
 Glass	 Or	 Silicon wafer

1. Resin deposit

2. Insolation

3. Development
4. Or deposit

5. Au deposit

6. Lift-off
7. PDMS molding

8. Demolding and piercing

9. O₂ plasma bonding



Key equations of the workflow

Image processing

Porosity: $\phi = \frac{V - V_{CaCO_3}}{V}$

Water content: $\theta = \frac{V_w}{V} = \frac{V - V_{CO_2} - V_{CaCO_3}}{V}$

Water saturation: $S_w = \frac{\theta}{\phi} = \frac{V_w}{V - V_{CaCO_3}}$

Specific surface area: $S_s = \frac{h P_{CaCO_3}}{V_{CaCO_3} \rho}$

V : volume of the window

V_{CaCO_3} : calcite volume

V_w : pore water volume

V_{CO_2} : CO_2 volume

h : height of the channel

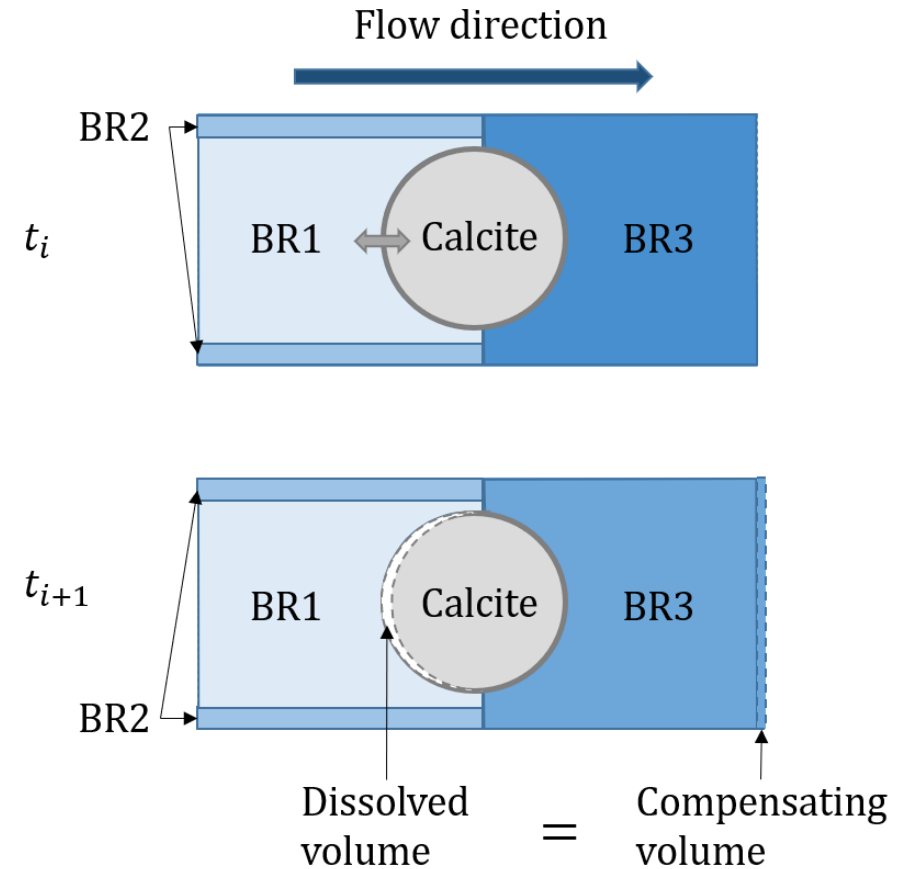
P_{CaCO_3} : calcite perimeter

ρ ($= 2710 \text{ kg m}^{-3}$): calcite density

Key equations of the workflow

Geochemical modeling PhreeqC model

- Batch reactors:
 - BR1: pre-reaction
 - BR2: non-reactive
 - BR3: post-reaction
- 10 s time step for partial replacement (55% of initial PV).
- The volume of BR2 was estimated to retrieve the porosity.
- BR3 volume is adapted to compensate calcite dissolution.





Key equations of the workflow

Petrophysical modeling

Vinegar and Waxman (1984) model for partially saturated conditions:

$$\sigma' = \phi^m S_w^n \left(\sigma_w + \frac{\beta Q_v}{S_w} \right)$$

$$\sigma'' = \phi^m S_w^{n-1} \lambda Q_v$$

$$Q_v = \frac{\phi^{-1}}{\phi} \rho \text{CEC}$$

$$\beta = \frac{1}{2} \left(\gamma_{H^+} \beta_{H^+}^0 + \gamma_{Ca^{2+}} \beta_{Ca^{2+}}^0 \right)$$

m : cementation exponent ($m = 1$)

n : saturation exponent ($n = 2$)

β ($\text{m}^2 \text{s}^{-1} \text{V}^{-1}$): mobility of counterions contributing to conduction (hydrogen and calcium)

$\lambda = \beta / 6$ ($\text{m}^2 \text{s}^{-1} \text{V}^{-1}$): mobility of counterions contributing to polarization ($\text{m}^2 \text{s}^{-1} \text{V}^{-1}$)

Q_v (Cm^3): charge compensating the surface charge of the solid phase per unit of pore volume

ρ ($= 2710 \text{ kg m}^{-3}$): calcite density

CEC (mEq g^{-1}): cationic exchange capacity

γ : activity coefficient obtained from PhreeqC model



Key equations of the workflow

Petrophysical modeling result

Q_0 (Cm³): surface charge density of calcite

Vinegar and Waxman (1984) model for partially saturated conditions:

$$\text{CEC} = -Q_0 S_s$$

The proportionality means that Q_0 remains stable.

